CS 480 Fall 2015

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Data-Flow Analysis

Optimization is Hard

- Problem: it's hard to analyze code and make guarantees about all possible executions
 - Inputs differ
 - Consider this code:

int *p; cin >> p; *p = 42;

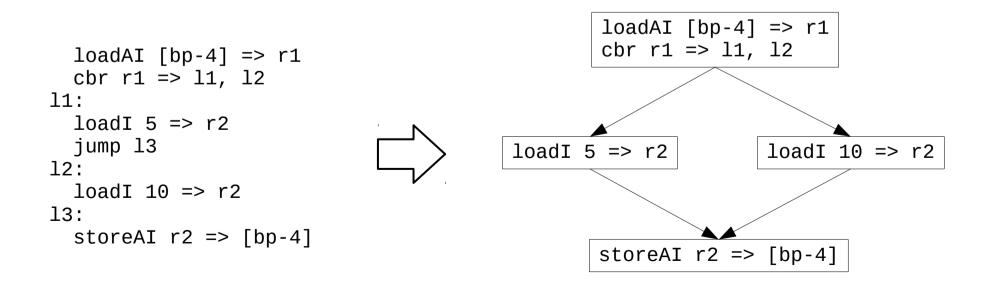
- Optimization tradeoff: work vs. speedup
 - "Better than naïve" is fairly easy
 - "Optimal" is impossible
 - Real world: somewhere in between
 - Better speedups with more static analysis
 - Usually worth the added compile time

Control-Flow Graphs

- Linear IRs (e.g., ILOC) don't easily expose control flow
 - This makes analysis and optimization difficult
- Basic blocks
 - "Maximal-length sequence of branch-free code"
 - "Atomic" code sequences
 - Instructions that always execute together
- Control-flow graph (CFG)
 - Nodes/vertices for basic blocks
 - Edges for control transfer
 - Branches (explicit) or fallthrough (implicit)

Control-Flow Graphs

- Conversion: linear IR to CFG
 - Find *leaders* (initial instruction of a basic block) and build blocks
 - Add edges between blocks based on branches and fallthrough
 - Complicated by jump-to-address instructions



Static CFG Analysis

- Single block analysis is easy
- Trees are also relatively easy
- General CFGs, not so much
 - Which branch of a conditional will execute?
 - How many times will a loop execute?
- How do we handle this?
 - One method: iterative data-flow analysis

Data-Flow Analysis

- Define properties of interest on basic blocks
- Define formula describing how those properties change within a basic block
- Run an iterative update algorithm until the properties converge for all basic blocks
- Types of data-flow analysis
 - Dominance
 - Liveness
 - Available expressions
 - Reaching definitions
 - Anticipable expressions

Dominance

- Block A *dominates* block B if A lies on every path from the entry block to B
 - Conversely, B postdominates block A if B lies on every path from A to any exit

$$DOM(n) = \{n\} \cup (m \in preds(n) DOM(m))$$



 Variable v is *live* at point p if there is a path from p to a use of v with no intervening assignment to v

 $LIVEOUT(n) = m \in succs(n) (UEVAR(m) \cup (LIVEOUT(m) \cap VARKILL(m)))$